

$2 \leftarrow$ počet faktor
 $3 \leftarrow$ počet faktor
 \nwarrow počet u'covu + faktor

počet faktor: $2^3 = 8$

počet replikací: 2

počet naměřených hodnot: $2 \cdot 8 = 16$

$$y = f(x_1, x_2, x_3)$$

$$\downarrow$$

$$f(t_1, t_2, t_3)$$

$$x \in \langle a, b \rangle$$

$$\lambda = \frac{a+t}{2}; \quad \lambda = \frac{t-a}{2} \quad t = \frac{x-a}{\lambda}$$

indukcí 2. řádu

indukcí 3. řádu

$$y_L(x_1, x_2, x_3) = B_0 + \underline{B_1 x_1} + \underline{B_2 x_2} + \underline{B_3 x_3} + \underline{B_{12} x_1 x_2} + \underline{B_{13} x_1 x_3} + \underline{B_{23} x_2 x_3} + \underline{B_{123} x_1 x_2 x_3}$$

$$y_{Lt}(t_1, t_2, t_3) = t_0 + t_1 t_1 + t_2 t_2 + t_3 t_3 + t_{12} t_1 t_2 + t_{13} t_1 t_3 + t_{23} t_2 t_3 + t_{123} t_1 t_2 t_3$$

$$B = \begin{pmatrix} t_0 \\ t_1 \\ t_2 \\ t_3 \\ t_{12} \\ \vdots \\ t_{123} \end{pmatrix} = \frac{1}{n \cdot 2^k} \cdot X^T \cdot Y$$

$$y_L(x_1, x_3) = \beta_0 + \beta_1 x_1 + \beta_3 x_3 + \beta_{13} x_1 x_3$$

$y_L(t_1, t_3) =$	776,063 +	-50,8125 *t1+	153,063 *t3+	-76,8125 *t1*t3
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s	lambda
1	0,2
162,5	37,5
300	25

$$t_1 = \frac{x_1 - 1}{0,2}$$

$$t_2 = \frac{x_2 - 162,5}{37,5}$$

$$t_3 = \frac{x_3 - 300}{25}$$

$$y_L(x_1, x_3) = 776,1 - 50,8 \cdot \frac{x_1 - 1}{0,2} + 153,1 \cdot \frac{x_3 - 300}{25} - 76,8 \cdot \frac{x_1 - 1}{0,2} \cdot \frac{x_3 - 300}{25}$$

$$y_L(x_1, x_3) = \underline{776,1} - \underline{50,8} \cdot \left(\frac{x_1}{0,2} - \frac{1}{0,2} \right) + \underline{153,1} \cdot \left(\frac{x_3}{25} - \frac{300}{25} \right) - \underline{76,8} \cdot \left[\left(\frac{x_1}{0,2} - \frac{1}{0,2} \right) \cdot \left(\frac{x_3}{25} - \frac{300}{25} \right) \right]$$

$$\underline{76,8} \left[\frac{x_1}{0,2} \cdot \frac{x_3}{25} + \frac{x_1}{0,2} \cdot \left(-\frac{300}{25} \right) - \frac{1}{0,2} \cdot \frac{x_3}{25} - \frac{1}{0,2} \cdot \left(-\frac{300}{25} \right) \right]$$

Regressione su variabili oltro spaziali per ottenere i fattori

variabile per t_1 : t_1
 variabile per t_3 : t_3
 spaziale per t_1 : $t_1 * t_3$

	Coefficients	Standard Error	t Stat	P-value	Lower 95%	Upper 95%	Lower 97,0%	Upper 97,0%	Lower 98,0%	Upper 98,0%	Lower 99,0%	Upper 99,0%
Intercept	776,063	10,4228	74,4584	2,3E-17	753,353	798,772	750,415	801,71	748,119	804,006	744,226	807,899
t_1	-50,8125	10,4228	-4,87514	0,00038	-73,5218	-28,1032	-76,4598	-25,1652	-78,7559	-22,8691	-82,6493	-18,9757
t_3	153,063	10,4228	14,6854	5E-09	130,353	175,772	127,415	178,71	125,119	181,006	121,226	184,899
$t_1 * t_3$	-76,8125	10,4228	-7,36968	8,6E-06	-99,5218	-54,1032	-102,46	-51,1652	-104,756	-48,8691	-108,649	-44,9757

$$y(t_1, t_3) = \beta_0 + \beta_1 t_1 + \beta_3 t_3 + \beta_{13} t_1 t_3$$

→ variabile spaziale fattore $x_1(t_1) \Rightarrow$ regressione rid. var. coef. β_1

$$H_0: \beta_1 = 0 \quad \text{vs} \quad H_1: \beta_1 \neq 0$$

→ variabile spaziale fattore $x_3(t_3) \Rightarrow \dots \beta_3$

$$H_0: \beta_3 = 0 \quad \text{vs} \quad H_1: \beta_3 \neq 0$$

→ spaziale spaziale (interazione) fattore $x_1 x_3(t_1, t_3) \Rightarrow \beta_{13}$

$$H_0: \beta_{13} = 0 \quad \text{vs} \quad H_1: \beta_{13} \neq 0$$